

Line-Driven Accretion Disk Winds

Christian Knigge

University of Southampton

Outline

Disk Winds

- Why do they matter?

The Physics of Line-Driving

- Free vs Bound Electrons
- Force Multipliers

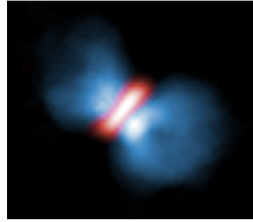
Line-Driven *Disk* Winds

- Previous efforts
- New results

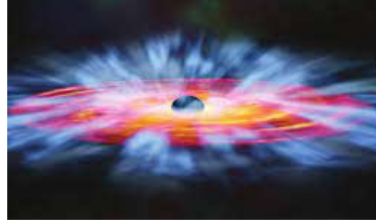
Accretion Disk Winds: Why Should We Care?

- **Universal**
-

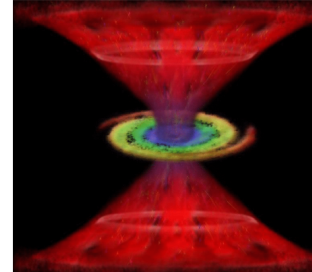
YSO



Compact Binary



AGN



- Significant sinks for

- Mass:

$$0.1 \lesssim \frac{\dot{M}_w}{\dot{M}_{input}} \lesssim 10$$

- Energy:

$$0.1 \lesssim \frac{L_{k,w}}{L_{acc}} \lesssim 10$$

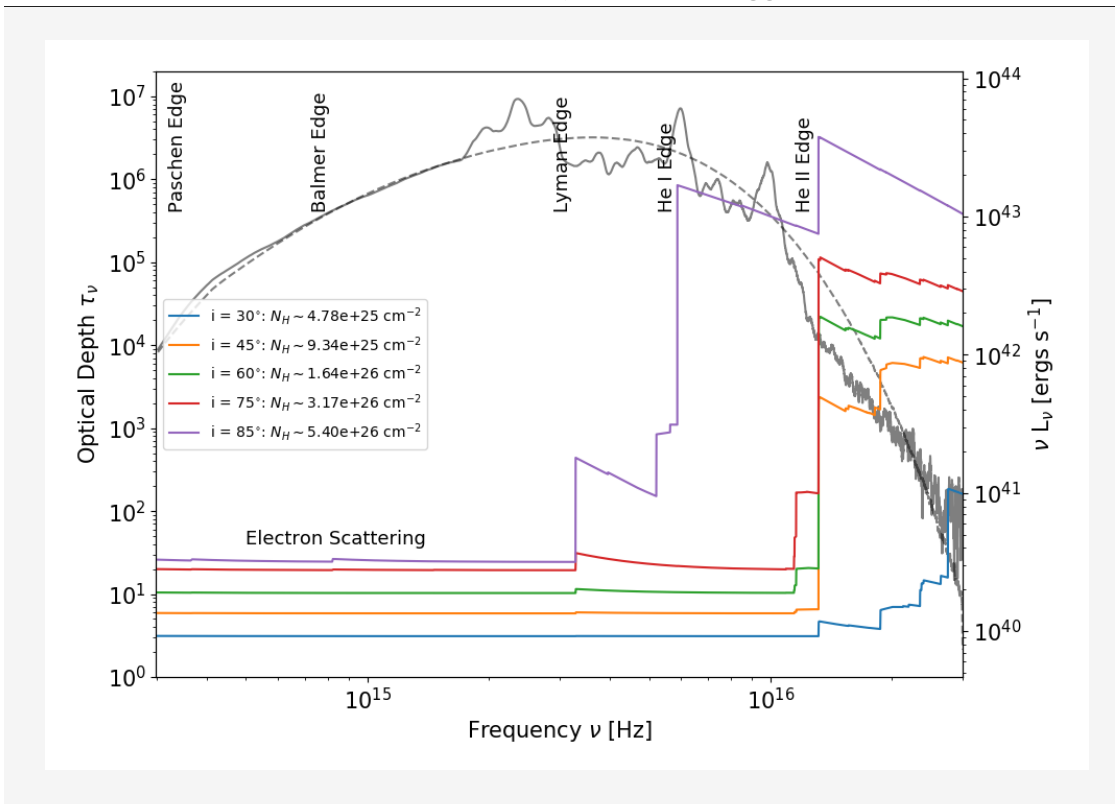
- Angular Momentum:

$$0.1 \lesssim \frac{\dot{J}_w}{\dot{J}_{disk}} \lesssim 1$$

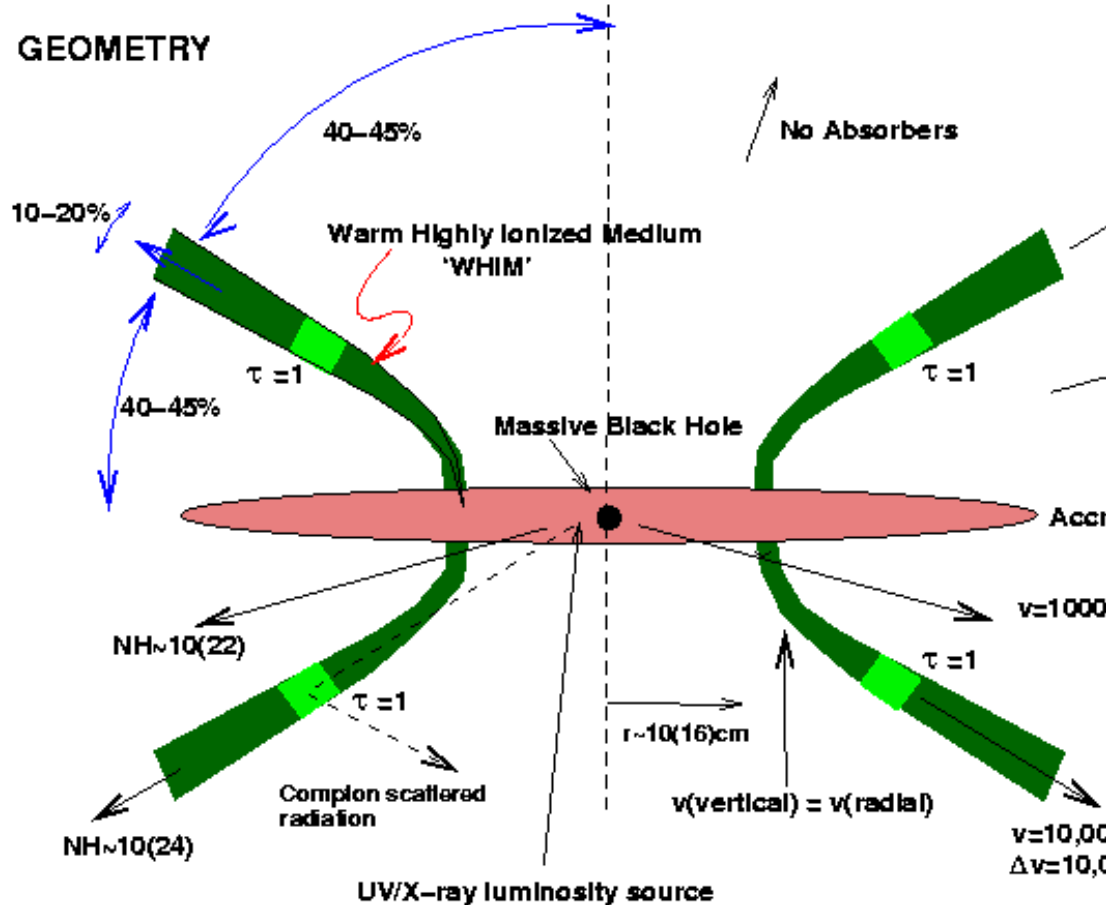
- Disk winds might be *required* to drive accretion!

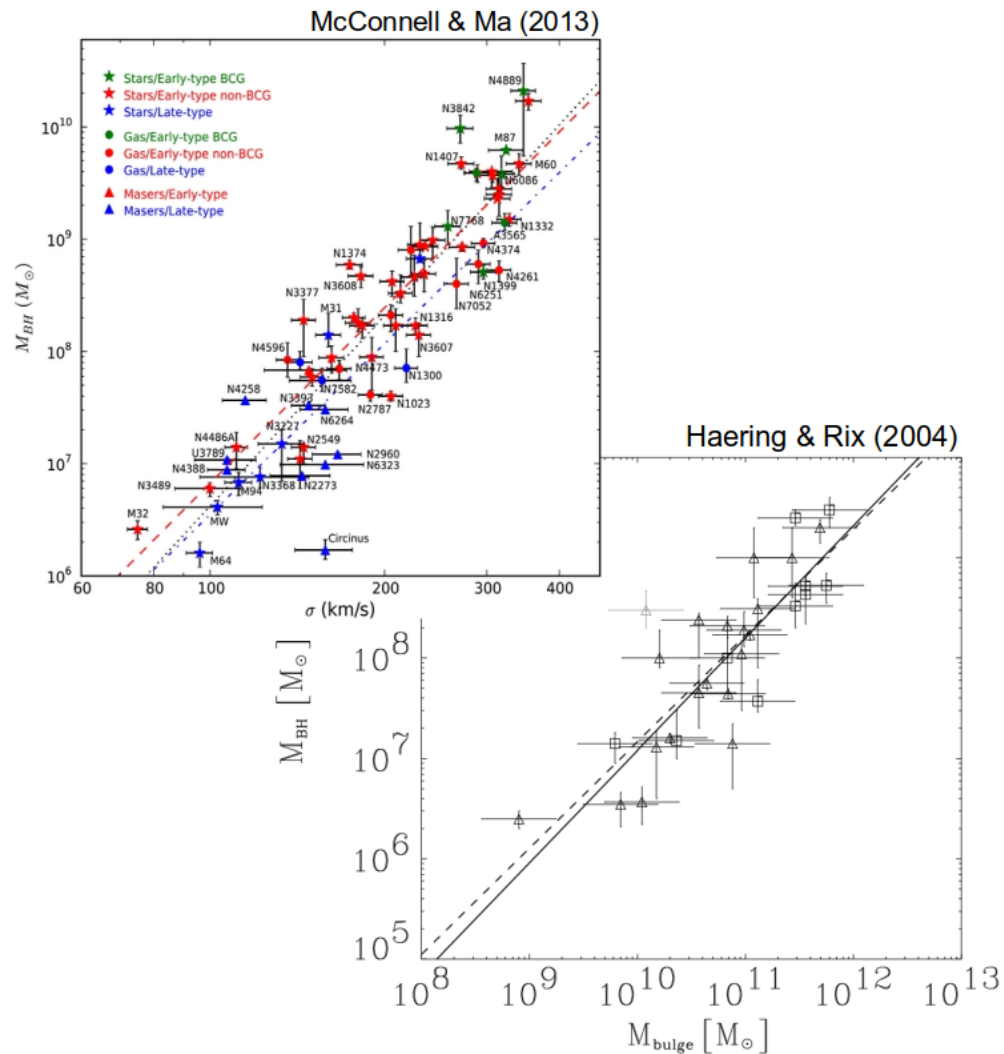
- Veiling

A Disk Wind Model for TDEs (Parkinson, Knigge et al 2020)

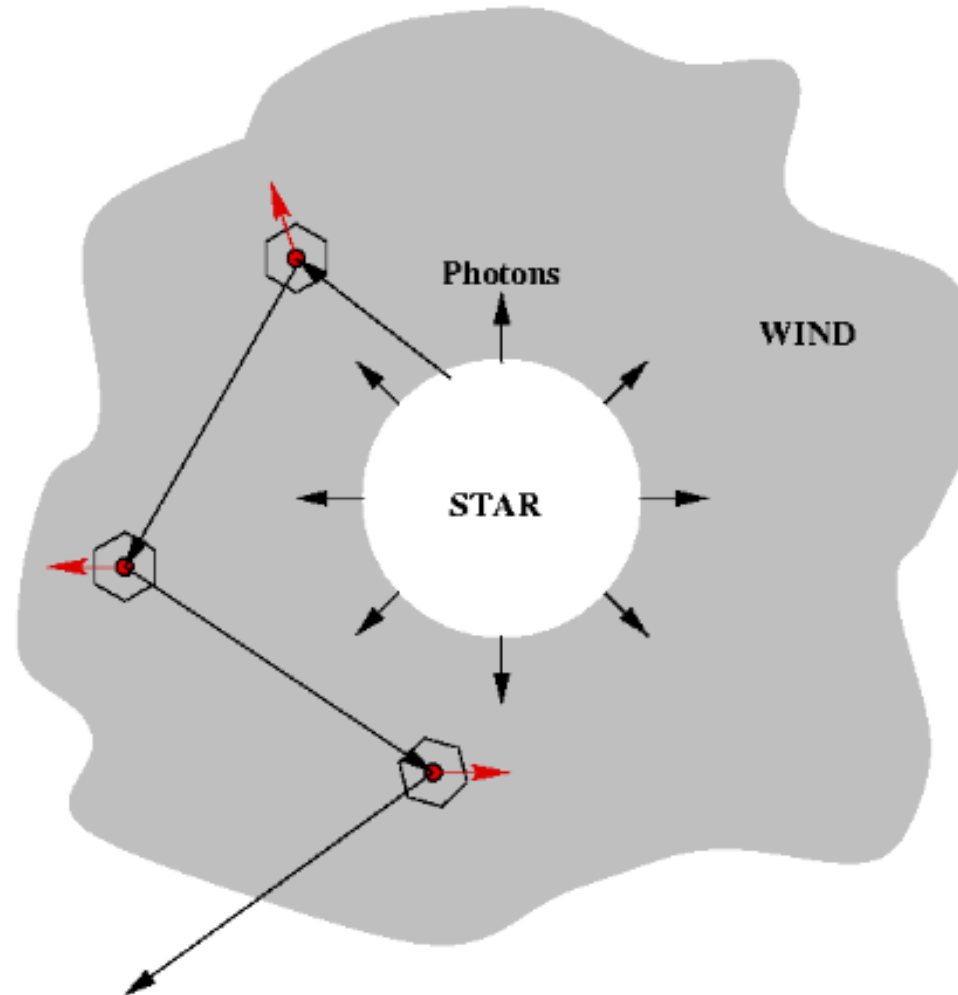


A Structure for Quasars





Radiation-Driven Mass Loss and the Physics of Line Driving



Scattering by *free* electrons: the Eddington limit

- **At , gas will be blown away by radiation pressure on free electrons**

Scattering by *free* electrons: the Eddington limit

- At $\tau \approx 1$, gas will be blown away by radiation pressure on free electrons

Scattering by *bound* electrons: line-driving

- A bound electron presents a cross section to a photon near line center that is many orders of magnitude larger than the cross section of a free electron

The CAK Ansatz

- The acceleration solely due to *electron scattering* is

$$g_e = \left(\frac{\mathcal{F}_{tot}}{c} \right) \left(\frac{n_e \sigma_e}{\rho} \right)$$

- Write $\mathbf{g}_{rad,tot}$ as a multiple of g_e

$$g_{rad,tot} = g_e \mathcal{M}$$

- \mathcal{M} is the so-called "**force multiplier**"

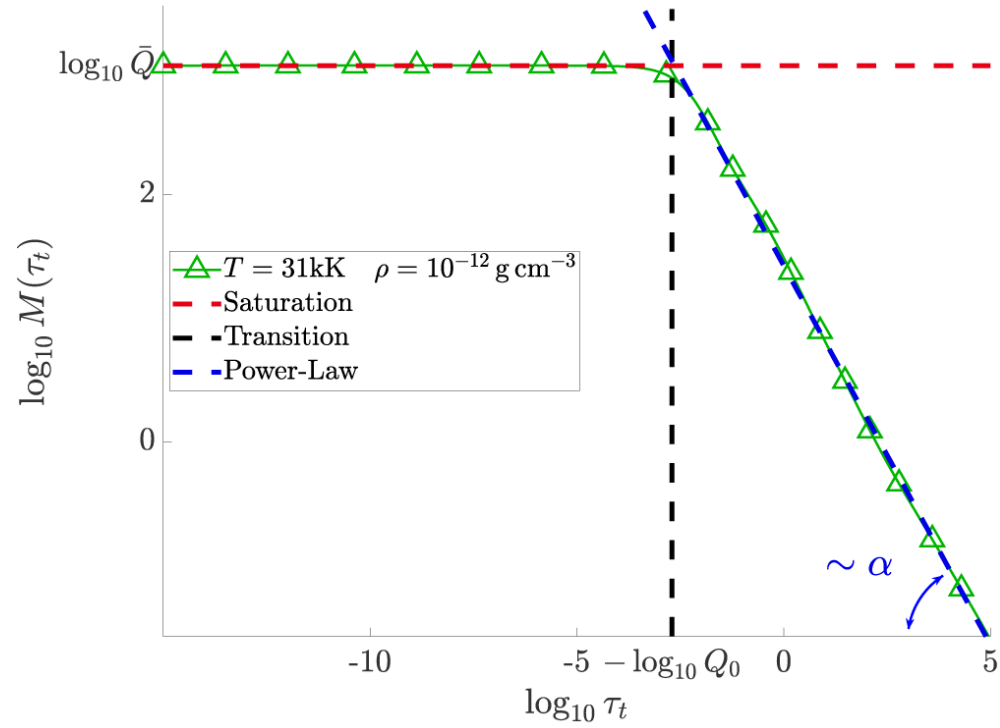
- Then try to parameterize the force multiplier as

$$\mathcal{M} = k t^{-\alpha}$$

- where t is a measure of the line optical depth

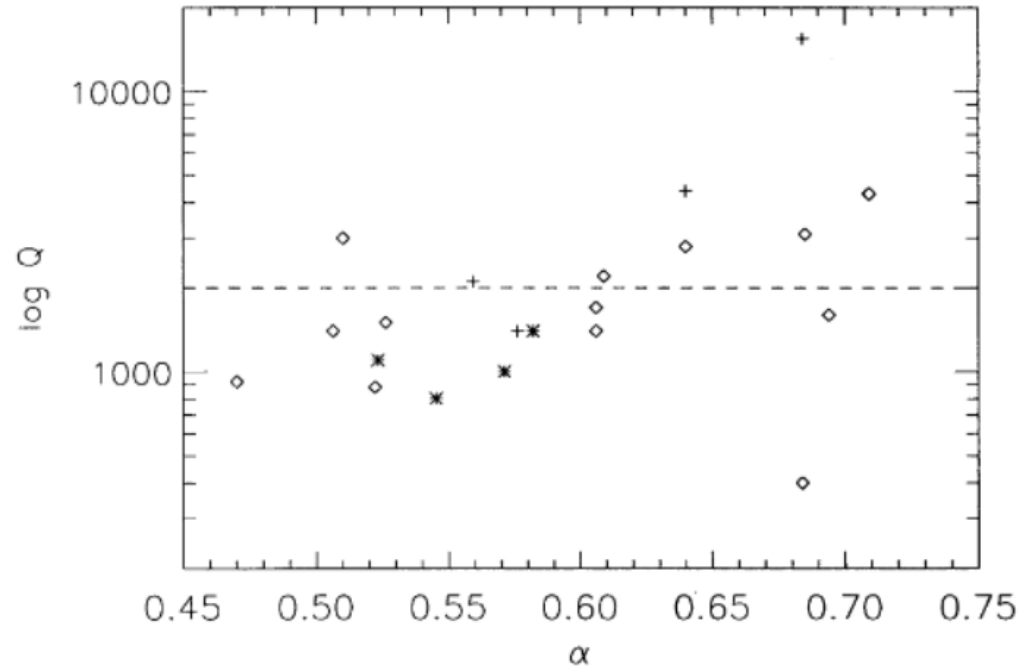
- **IMPORTANT: t depends on the velocity gradient**

Line-by-line calculations show that this is a pretty good approximation, but the relationship asymptotes



from Poniatowski et al (2022)

Crucially, $\mathcal{M}_{\max} \simeq \mathbf{constant} \simeq \mathbf{2000}$ (Gayley 1995)



from Gayley (1995)

Line-Driving *REQUIRES*

$$\Gamma_{Edd} = L/L_{Edd} > \frac{1}{\mathcal{M}_{max}} \simeq 5 \times 10^{-4}$$

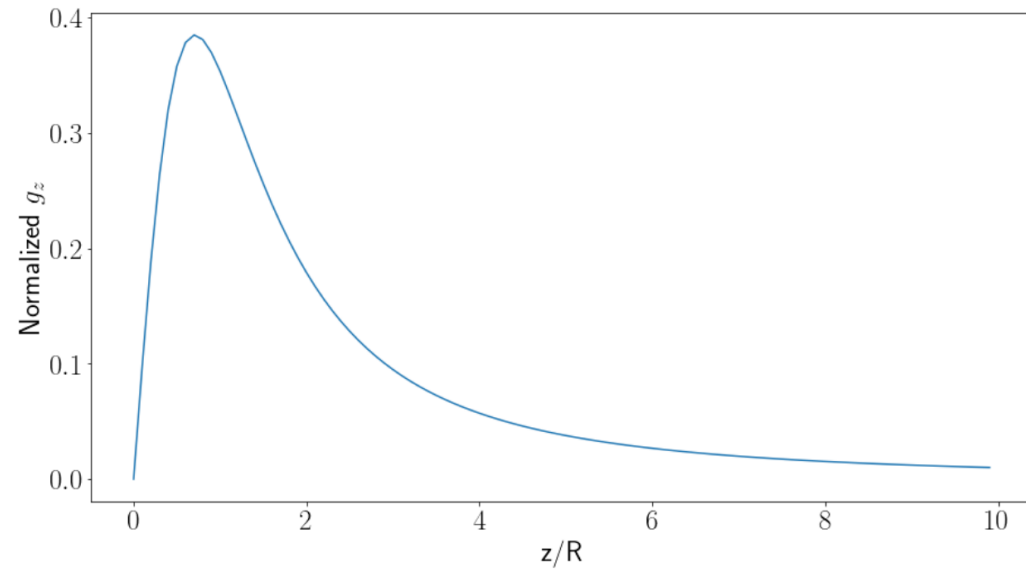
\mathcal{M}_{max} is the most we can hope to get out of line-driving, over and above what we can get from electron scattering

Line-Driven *Disk* Winds

Challenges: Geometry & Dynamics

- No spherical symmetry
- Rotation *must* be important

• The vertical component of gravity initially **increases**: $g_z \propto \frac{z}{(R_{cyl}^2 + z^2)^{3/2}}$



Challenges: Ionization / Radiative Transfer

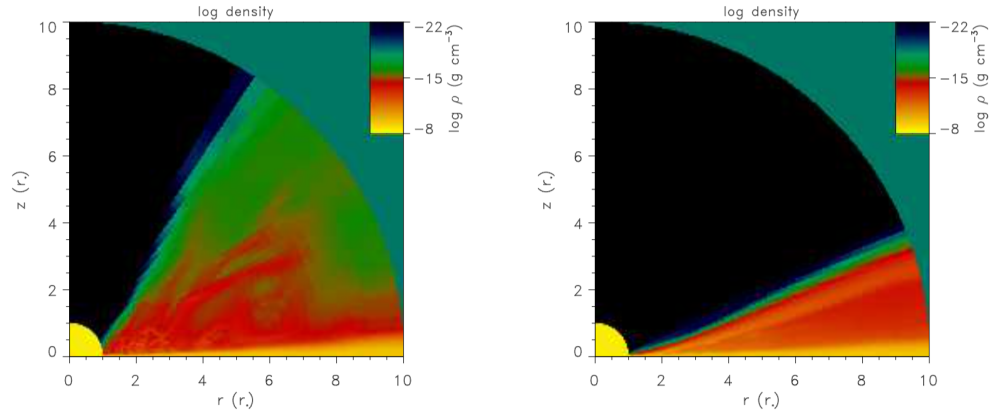
- Complex geometry & kinematics make ionization & RT computationally difficult
 - e.g. dv/dr becomes a *tensor*
- Typically have *multiple* radiation sources with different geometries and SEDs
 - Accretion disk
 - Central source
 - Accreting object
 - Boundary layer
 - Corona
 -

- **Hydrodynamics and ionization/RT are strongly and non-linearly coupled**
 - Hydrodynamics depends strongly on radiation force
 - Radiation force depends strongly
 - temperature
 - velocity field
 - density structure
 - ionization

Previous Efforts: Detailed Hydrodynamics, Approximate Ionization & RT

- Detailed hydrodynamics
 - At least 2-D + rotation:
 - Proga+98,99,00,04, Pereyra+03, Nomura+16,18,20,21
 - Some 3-D:
 - Dyda+18ab
- Detailed radiation geometry, but various levels of "dv/dr accuracy"
- "Quasi-1D", "quasi-optically-thin" RT & ionization with self-shielding
- At best two frequency bands
 - "UV" → line force
 - "X-ray" → ionization

- An accreting white dwarf without (left) and with (right) a strong central source | | |
:---: | |



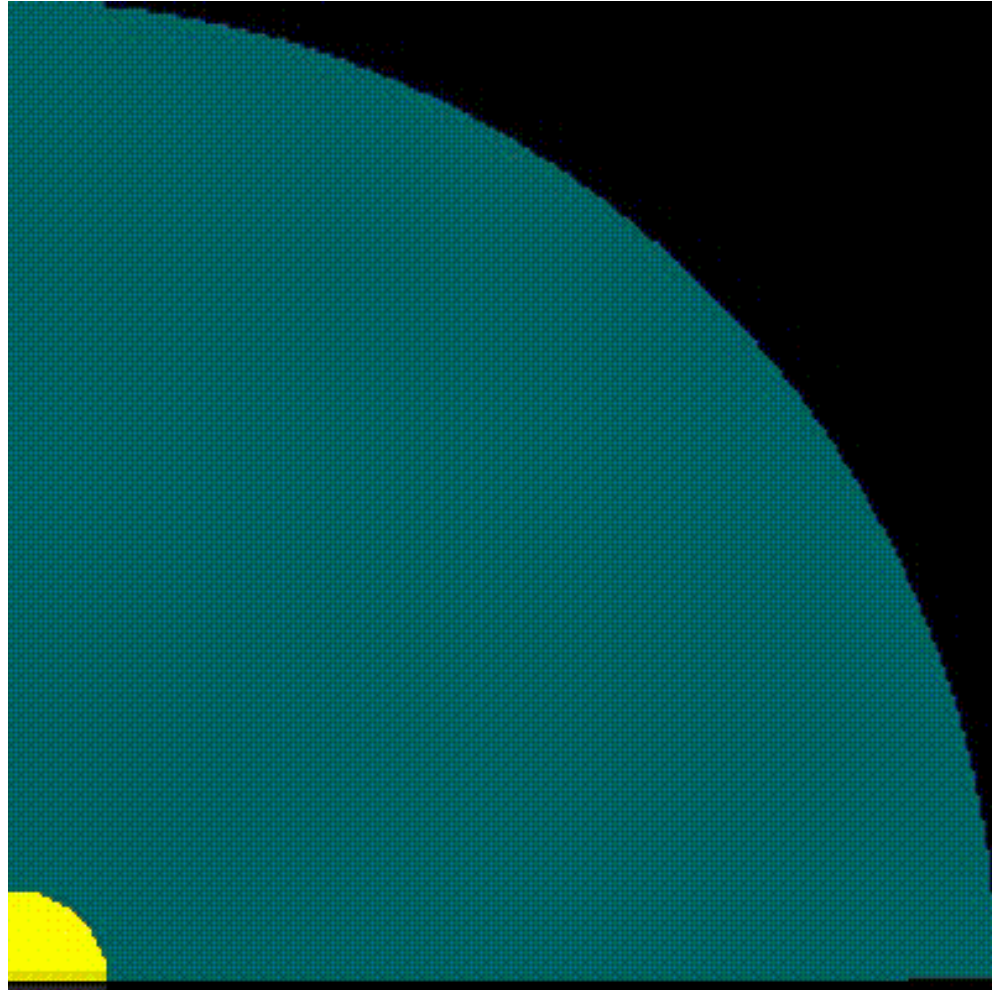
from Proga 1999

- Most of the mass tends to be carried away in a fast "stream"
- Pure disk winds tend to be highly non-steady

• an X-ray irradiated AGN | Wide view

| (both from Proga+00) | Zoom

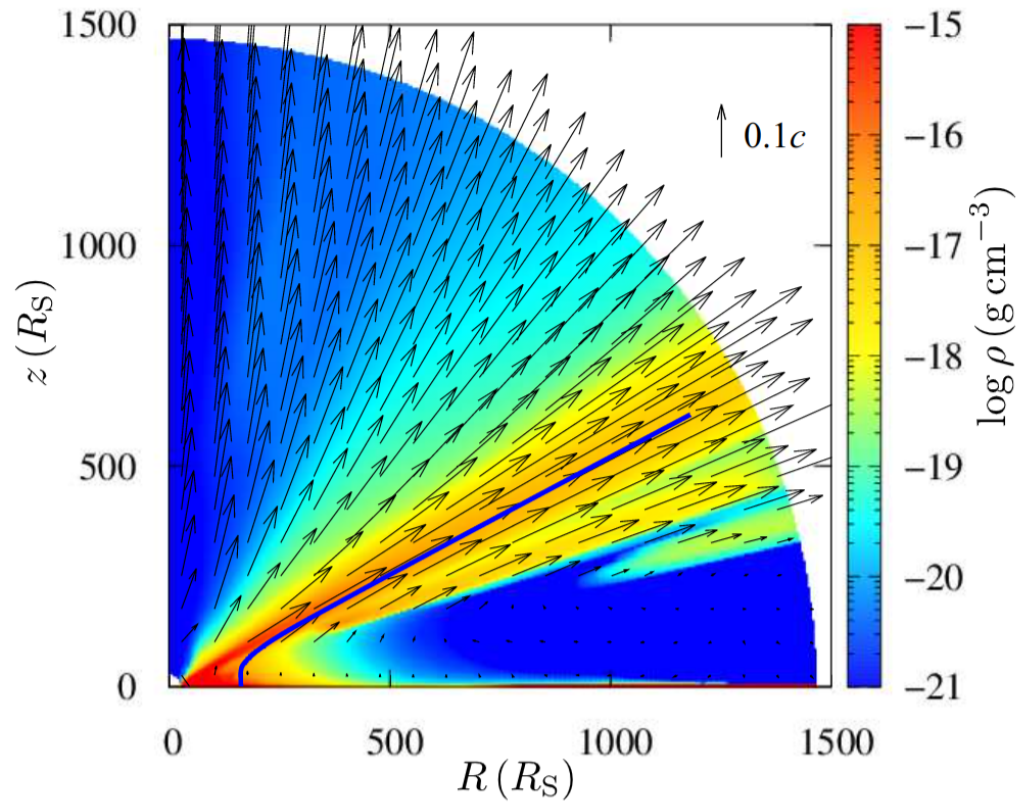
|| :--: |:--: |:--:|



||



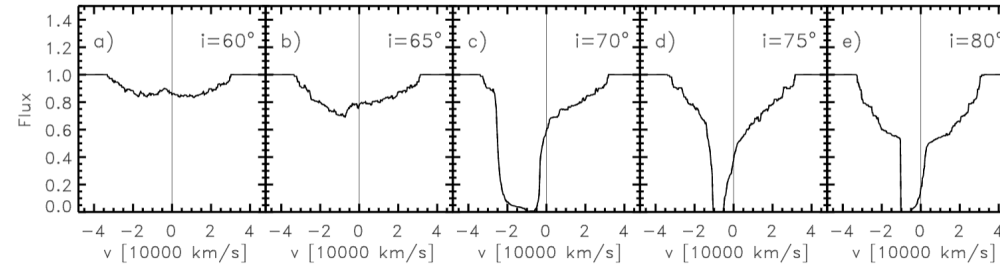
- a near-Eddington AGN



from Nomura+20

Previous Results: Observables

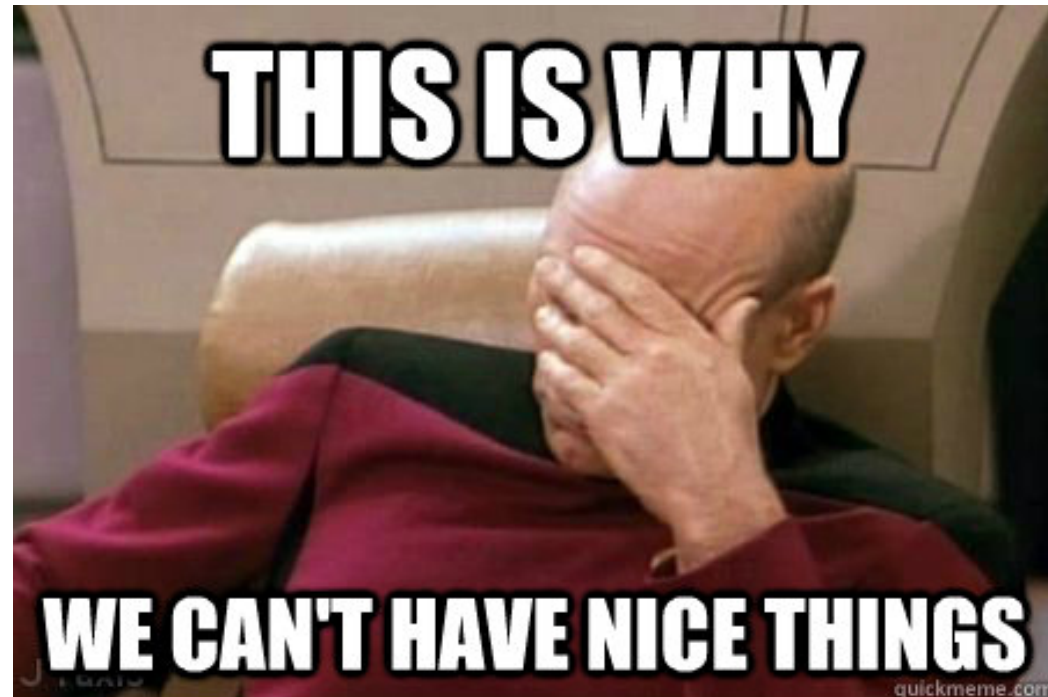
- Hydro models seem to do a pretty reasonable job at matching (some) observables
- UV line profiles ("BALQSOs")



from Proga & Kallman 2004

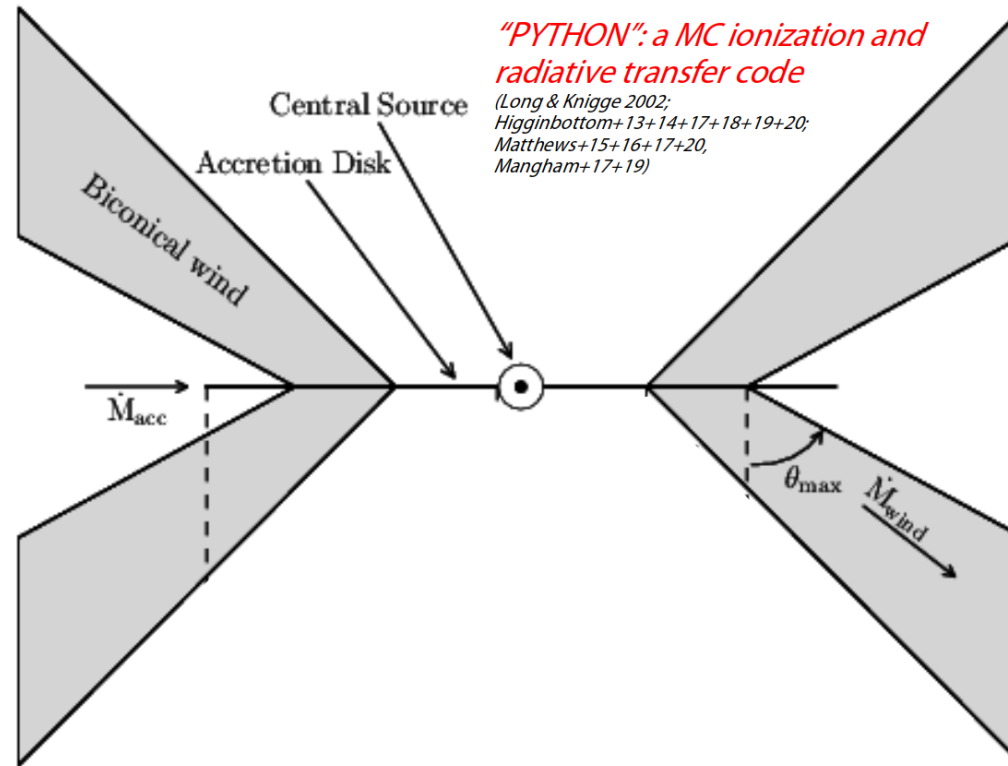
HOWEVER: All of these results are based on quasi-1D radiative transfer and/or ionization calculations

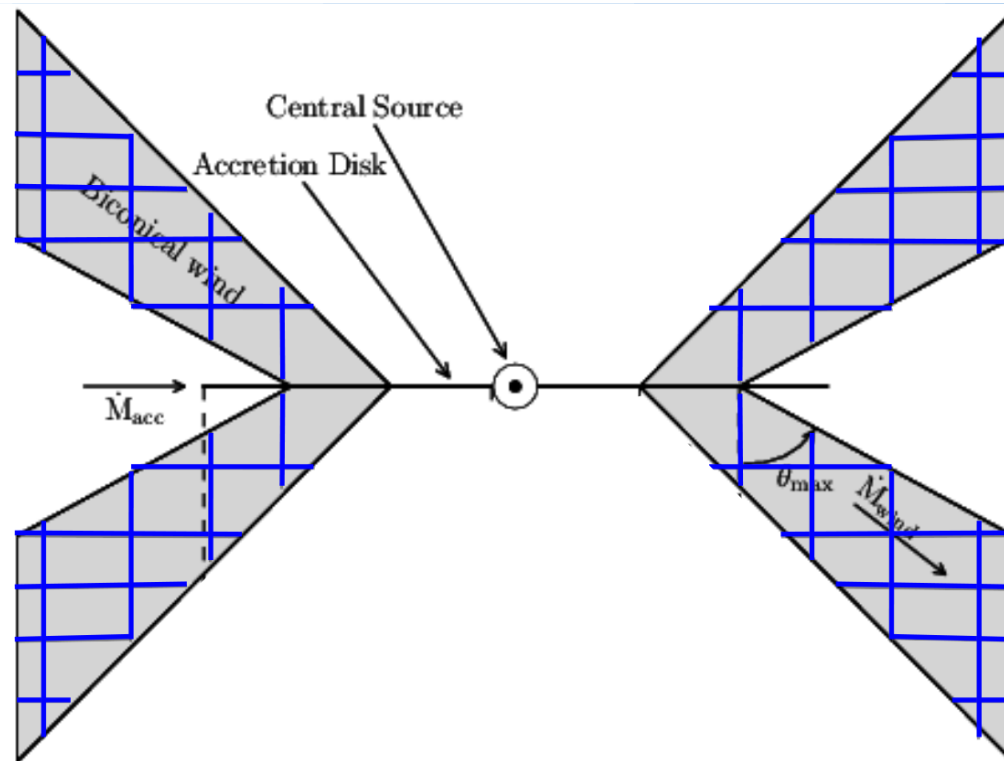
HOWEVER: All of these results are based on quasi-1D radiative transfer and/or ionization calculations

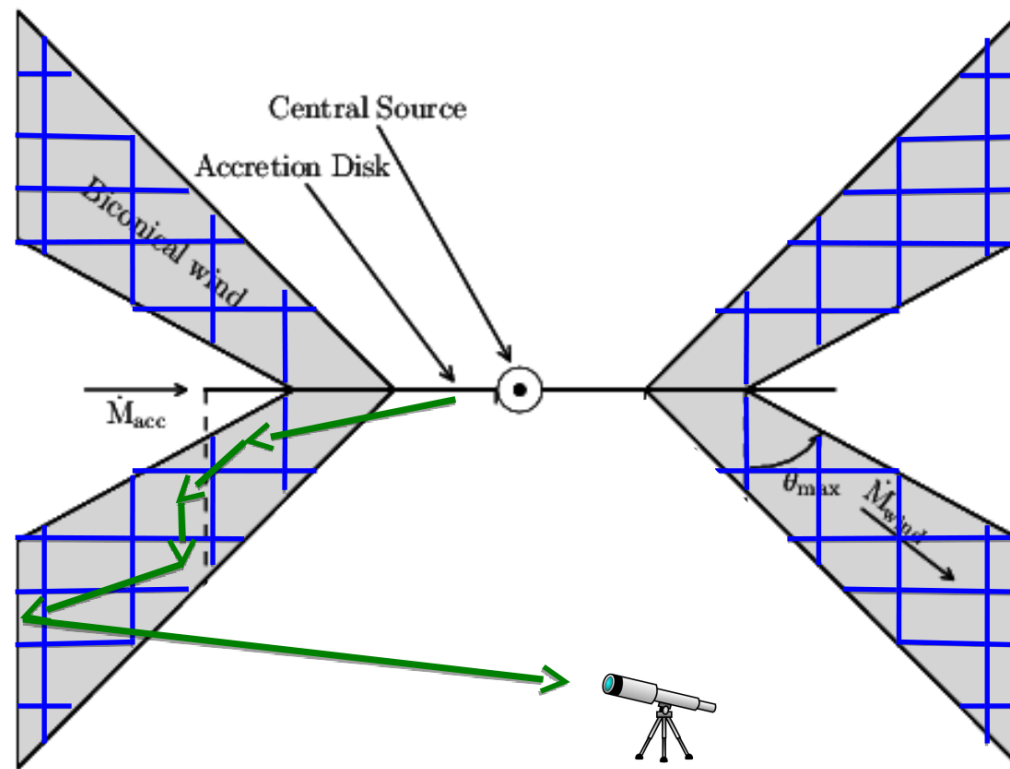


Our contribution: making everything worse

(by adding more physics)







PYTHON (maybe soon "Pyrite")

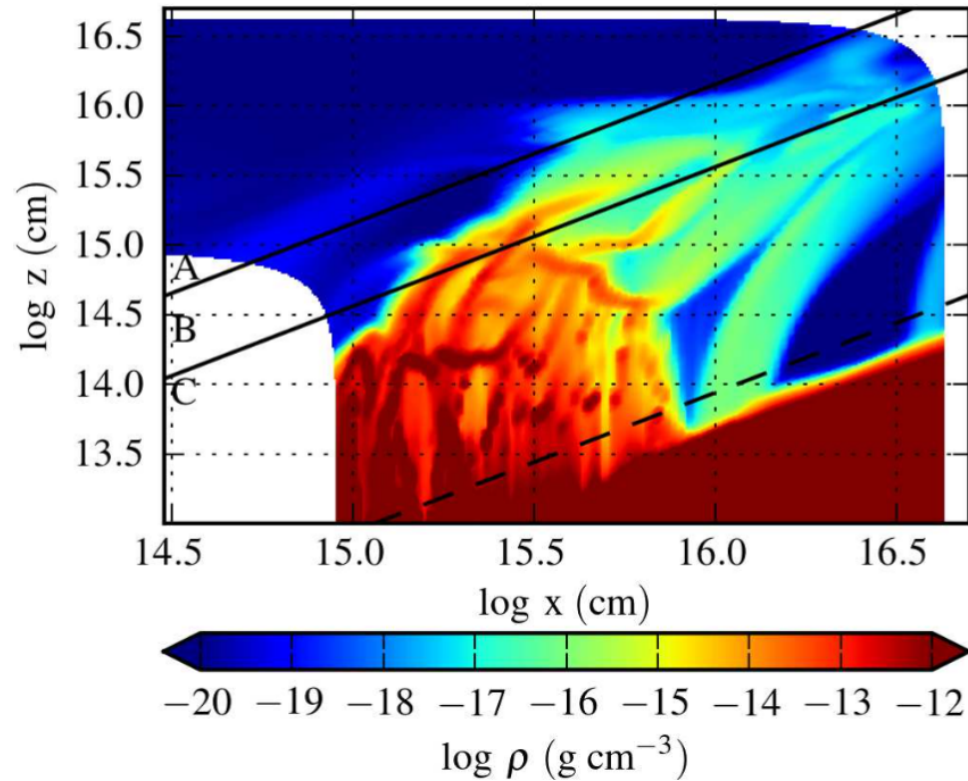
- can calculate ionization state and observables (spectra, line profiles, reverberation signatures) for any given outflow model
- comes with several built-in "kinematic" (parameterized) spherical and disk wind models
 - user-specified parameters define geometry, velocity, velocity, radiation field
- can also read in models (e.g. from hydrodynamic simulations)
- physics included allows a wide range of applications, including:

Back to line-driving:

Are existing models with approximate ionization and radiative transfer "good enough"?

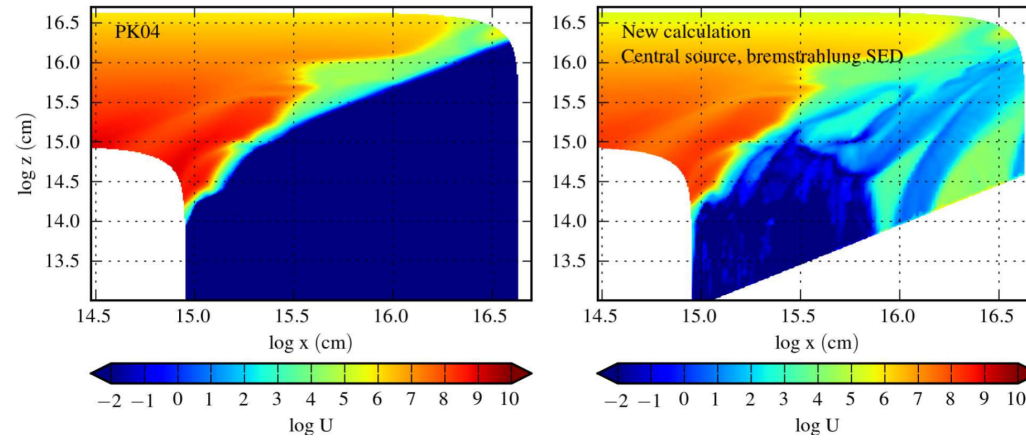
- A snapshot from Proga & Kallman 2004...

Higginbottom et al. 2014, data from Proga & Kallman 2004



- ...now reprocessed with full 2-D ionization and RT

ionization parameter from Higginbottom et al. 2014



- **Shielding does not work in 2D RT as it did in quasi-1D**
 - the ionizing photons just scatter around the shield

- **Shielding does not work in 2D RT as it did in quasi-1D**
 - the ionizing photons just scatter around the shield
- **The winds calculated in the hydro simulations could not exist IRL**
 - they would be overionized
 - no suitable driving lines
 - **no wind**

- **Shielding does not work in 2D RT as it did in quasi-1D**
 - the ionizing photons just scatter around the shield
- **The winds calculated in the hydro simulations could not exist IRL**
 - they would be overionized
 - no suitable driving lines
 - **no wind**
- **This does not mean line-driving cannot work**
 - just that we do have to face up to fully coupled, 2-D, multi-wavelength radiation-hydrodynamics

Radiation-hydrodynamic simulations of line-driven disk winds:
including multi-dimensional, full-spectrum radiative transfer and ionization

Basic idea:

- **Couple *PYTHON* with *PLUTO* via operator-splitting**
- Calculate new ionization structure after every $\simeq 1000$ hydro time-steps
- work out corresponding force multipliers by summing over huge Kurucz line list
- iterate to convergence

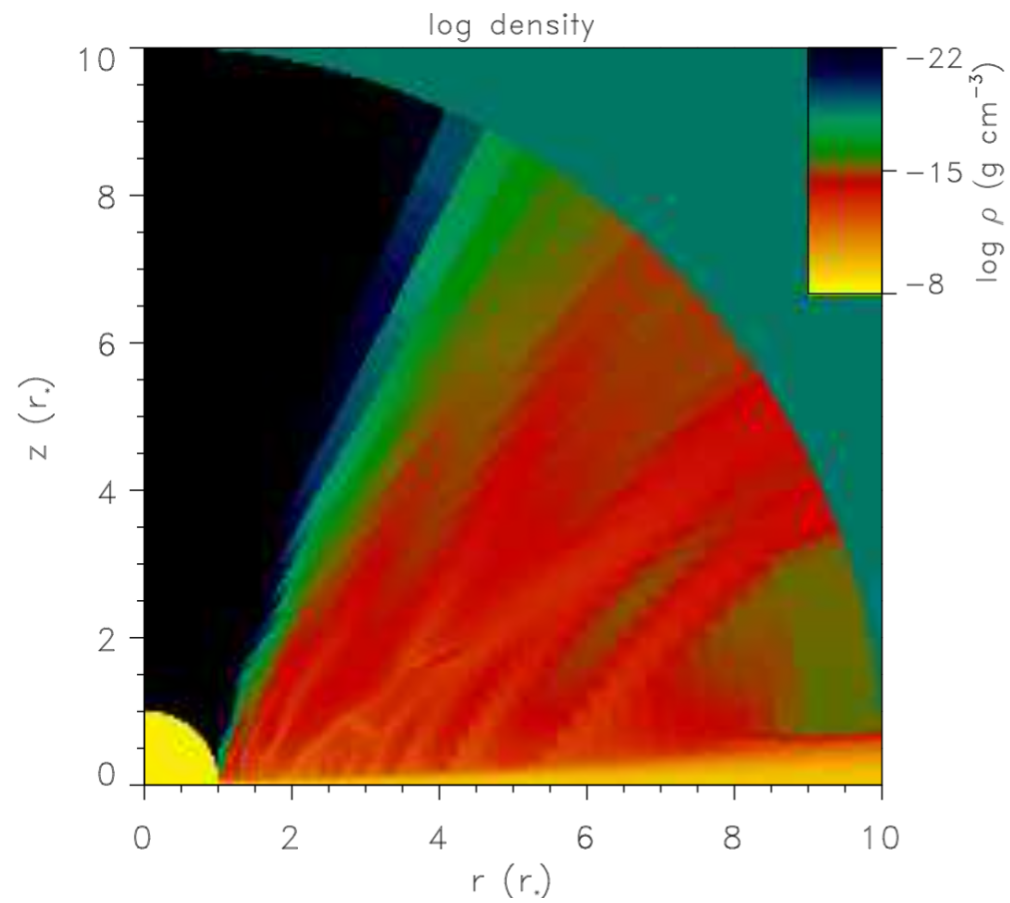
Start with the "simplest" problem: CVs (accreting white dwarfs)

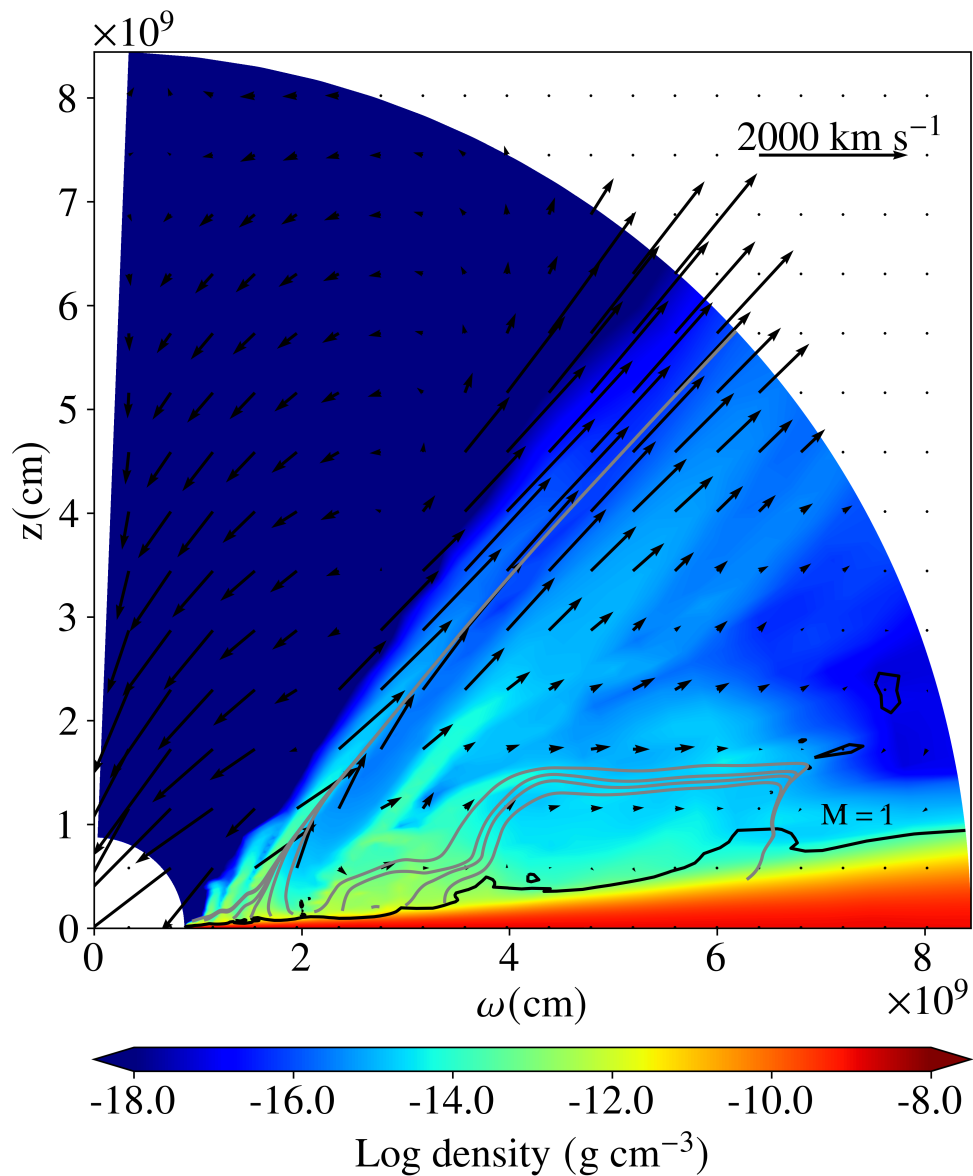
- **Pros**

- Standard Shakura-Sunyaev disk
- Other radiation sources
 - probably negligible (BL / WD)
 - similar SED to disk (comparable T_{eff})
- Small dynamic range
 - $R_{disk}/R_{WD} \simeq 30$
- No relativistic effects
- No significant B -fields

- **Cons**

- $L/L_{Edd} \simeq 1/1000$





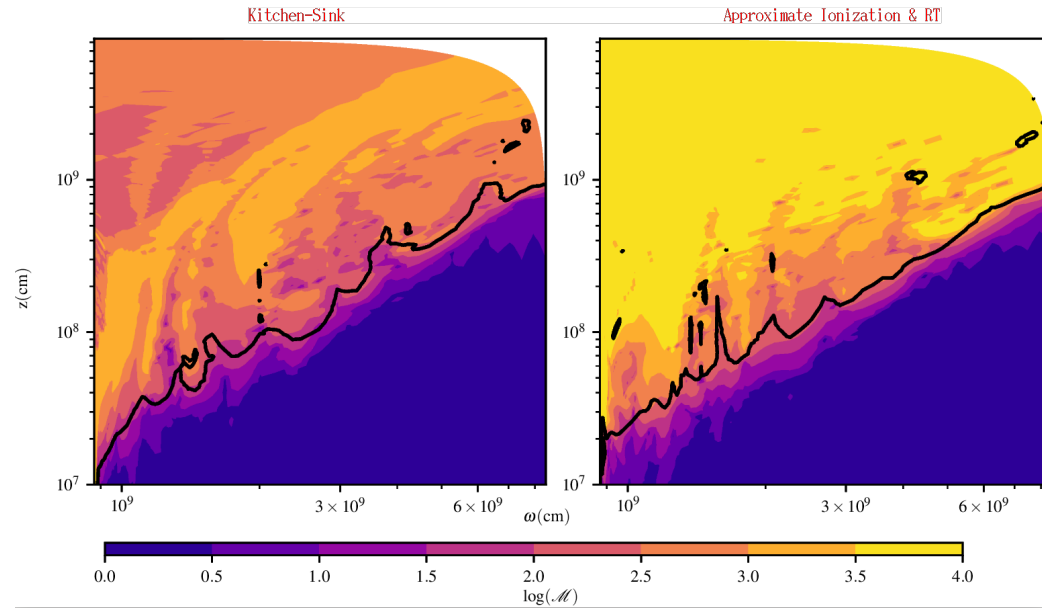
Higginbottom, Scepi, Knigge et al. 2023

Model	Comments	\dot{M}_{acc} [$M_{\odot} \text{ yr}^{-1}$]	$T_{\text{d,visc}}(\text{R})$	Force Multiplier	$\frac{L_{\text{BL}}}{L_{\text{disc}}}$	T_{BL} [10^5 K]	$\frac{L_{\text{dot}}}{L_{\text{Edd}}}$	PSD DP	\dot{M}_{wind} [$M_{\odot} \text{ yr}^{-1}$]	v_r [km s^{-1}]
HK22D	Fiducial Model	$\pi \times 10^{-8}$	Shakura-Sunyaev	self-consistent	0	0	1×10^{-3}	3 B	4.6×10^{-14}	1700
HK22Df	No RT & ionization	$\pi \times 10^{-8}$	Shakura-Sunyaev	fixed k and α	0	0	1×10^{-3}	3 B	1.6×10^{-11}	4000

Why is the wind weaker than found in previous simulations?

- **higher ionization state** → **lower force multipliers**

Higginbottom, Scepi, Knigge et al. 2023



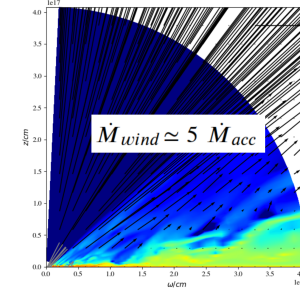
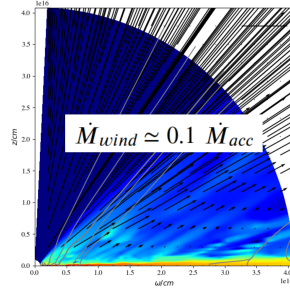
(How) does this translate to QSOs and AGN?

- This is hot off the press -- enjoy with caution!
- First results will be published "soon" in Scepi, Knigge et al. (2024)

Pure Shakura-Sunyaev Disks — $L/L_{Edd} \simeq 0.8$ — no separate X-ray source

$$M_{BH} = 10^8 M_{\odot}$$

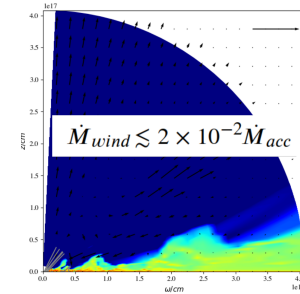
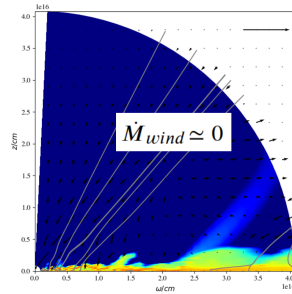
$$M_{BH} = 10^9 M_{\odot}$$



Pure Shakura-Sunyaev Disks — $L/L_{Edd} \simeq 0.8$ — with (weak) X-ray source

$$M_{BH} = 10^8 M_{\odot} \text{ --}$$
$$L_X/L_{disk} \simeq 1\%$$

$$M_{BH} = 10^9 M_{\odot} \text{ --}$$
$$L_X/L_{disk} \simeq 2\%$$



Summary

- Line-driven winds are awesome
- The underlying physics is pretty well understood, ...
- ... but they are *really* difficult to simulate in > 1-D, ...
- But we **must** face this if we want to have a *physical* understanding of feedback
- First results:
 - X-ray weak QSOs can **definitely** produce powerful feedback
 - But what about lower- M_{BH} , lower- \dot{M} , higher L_x AGN?